

#### Optimal Inventory Policy for Two-echelon Remanufacturing

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# Introduction

- OBJECTIVE: Identify the inventory policies that will fit a remanufacturing environment:
  - sequential disassembly and selection processes
  - random yield in each process
  - known demand
- ASSUMPTION: There is no shortage of used goods to feed the process:
  - plentiful stock of used goods
  - uncertainty is generated by the wear state

#### **Some related literature**

	Single Process		Multi Process	
	Constant Process Yield	Random Process Yield	Constant Process Yield	Random Process Yield
Constant Demand	Harris 1913	various	Clark, Scarf 1960	
Random Demand	various	various	DeBodt and Graves 1985	HIR

# Used tires flow in the retreading process







### **Multi-Echelon Inventory Process**



## **Financial and Physical Stock**



# Financial and Physical <u>Holding</u> Cost



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## **Optimal Inventory Policy**

Considering:  

$$\begin{cases}
n = \sqrt{\frac{E[p_d](h_{f,r} - h_{ph,d} + h_{ph,r}E[p_r])}{h_{f,d} + h_{ph,d}E[p_d]}} \frac{k_d}{k_r} \\
H(n) = h_{f,d} + \frac{E[p_d]}{n} (h_{ph,d} (n-1) + h_{f,r} + h_{ph,r}E[p_r]) \\
K(n) = (k_d + nk_r)E[1/p_d]E[1/p_r]
\end{cases}$$

Optimal Inventory Policy  $Q^*(n) = \sqrt{\frac{2DK(n)}{H(n)}}$ 

## Example

Disassembly Process:  $k_d = \$30/\text{process}$   $h_{f,d} = \$0.5/\text{unit-yr}$   $h_{ph,d} = \$2/\text{unit-yr}$   $p_d = U[0.5, 0.95]$ Repair Process:  $k_r = \$6/\text{process}$   $h_{f,r} = \$4/\text{unit-yr}$   $h_{ph,r} = \$2/\text{unit-yr}$   $p_r = U[0.75, 0.95]$ D = 600 units/yr



Acquisition Research Program: Creating Synergy for Informed Change

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### Example

**Disassembly Process:**  $k_d =$ \$30/process  $h_{f,d} =$ \$0.5/unit-yr  $h_{ph,d} =$ \$2/unit-yr  $p_d = U[0.5, 0.95]$ 

**Repair Process:**  $k_r =$ \$6/process  $h_{f,r} =$ \$4/unit-yr  $h_{ph,r} =$ \$2/unit-yr  $p_r = U[0.75, 0.95]$ D = 600 units/yr



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