



Managing Uncertainty and Risk in Public Sector Investments

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Managing DoD IT Infrastructure Investments

The DoD annual budget approaches a half trillion dollars

- ▶ Much of that budget is invested either directly or indirectly affected by Information Technology Infrastructure modernization initiatives
- ▶ Because there is no market for public sector goods, efficient resource utilization is a challenge

Cost/Complexity Drivers

- Complexity increases exponentially with size, rate and scope of technology innovation
- Cost of integration is driven by the exceptional complexity of IT infrastructure
 - ✓ DoD is exploring the building of system-of-systems, and federation of systems

Measures of Effectiveness for Public Sector Investment

- ▶ Do not capture underlying process dynamics
- ▶ Are hard to apply
- ▶ Tend to be not timely - Are lagging indicators
- ▶ Are vulnerable to “gaming”

Impact to Public Sector Investment

- ▶ Systemic under estimation of cost and schedule at the onset of major systems/ software programs
- ▶ Accountability difficult to establish
- ▶ Often deliver less value than promised

Investment in the Public Sector

Unlike the Private Sector, Public Sector markets lacks mechanisms for:

- ▶ Self-regulation
- ▶ Rapid knowledge dissemination and aggregation
- ▶ “Inherent” incentives linking expenditures and accountability

Pricing with Markets

- ▶ In the Private Sector risk and reward are set by Competitive Markets
- ▶ The price of a stock represents the market consensus of the value of a Firm
 - Which may/may not be accurate
- ▶ Value depends on delivering the right product efficiently

Pricing Without Markets

- ▶ No clear way to link price and value
- ▶ But the price of a Public Sector firm ultimately depends on its internal efficiency
- ▶ In theory, internal efficiency based valuation and market valuations should converge to a single value
- ▶ Internal efficiencies are measurable
 - ✓ Regardless of whether the Firm is in Private or Public Sector

What Competitive Markets Do

- ▶ Enable a rapid consensus of a Firm's worth
 - Its value – its measure is the price
- ▶ The factors governing that consensus are:
 - ✓ The rate at which information becomes known
 - ✓ The rate at which price/risk information is aggregated (e.g., decision formation)

The Basis of Price Formation

- ▶ Knowledge Diffusion Rate
 - ✓ Tends to keep rule violations in-check
- ▶ Information Aggregation Rate
 - ✓ Bounds the timeliness & quality of investment decisions

Information Diffusion and Aggregation Rates

- ▶ Determine whether, and at what rate, price consensus occurs
- ▶ Indicate market efficiency
 - ✓ Sub-optimal rates result in price discrepancies that can be exploited by floor traders, value investors, and others

Uncertainty, Risk and Investment Valuation

- ▶ Initial project cost/schedules estimates are subject to significant uncertainty
- ▶ The ability to reduce uncertainty and risk depends significantly on a Firm's internal efficiencies
- ▶ That ability is a consequence of the Firm's internal efficiencies
 - ✓ Its measure is a “synthetic price”

Investment Risk Drivers

Software intensive systems

Three primary risk drivers:

- ▶ Technical complexity
- ▶ System Integration complexity
- ▶ Project size and duration

These risks govern uncertainty, irreversibility, and timing for IT infrastructure investments in both the Private and Public Sectors

IT Infrastructure Investment Parameters

▶ Uncertainty

- ✓ Software intensive systems are particularly sensitive to the under-estimation of risk
- ✓ The level of complexity is hard to comprehend, let alone manage or measure

▶ Timing

- ✓ Technology investments can be rendered obsolete by:
 - New technology
 - Evolving threats

Investment Management Parameters

▶ Irreversibility

- Investment is allocated to the labor required to develop the intellectual capital embedded in software is unrecoverable
 - ✓ Zero salvage value unless deployed
- Large scale IT infra-structure investments are particularly susceptible to these parameters
- Mastery of internal operating efficiencies is crucial

Special and Common Causes of Variability

- ▶ Perturbations in a Firm's performance derive from two sources of variability:
- ▶ **Common causes:** Poorly defined requirements, processes, procedures, aging equipment
 - ✓ These are entirely controllable
 - ✓ Are the focus of 6-Sigma, the CMMI
- ▶ **Special causes:** equipment failures, spikes in staff turnover, unrecognized sources of integration complexity, etc.

The Impact of Variability

- ▶ A Firm's performance, and risk, is governed by the ability to master these two primary causes of variability
- ▶ Less efficient Firms will exhibit growing variability overtime/declining performance, regardless of sector: Public or Private
- ▶ Variability propagates uncertainty thus driving risk - via delays in decision making
 - ✓ The time value of available information degrades at an accelerates rate

Variability and Response Perturbations

- ▶ Variability drives system perturbations
 - ✓ Which are stochastic
- ▶ Perturbation responses indicate the efficiency of underlying information diffusion & aggregation rates
- ▶ The rates are not directly observable
 - ✓ But govern “synthetic” price formation

The Basis for Synthetic Prices

- ▶ A Firm is a stochastic feedback system that can be modeled using algorithms from System Control and Information Theory
- ▶ The efficiencies of information utilization are quantifiable as “Information Gains” - derived from a Kalman Filter
- ▶ But, producing information gains:
 - ✓ Consumes resources (time, labor, technology)
 - ✓ Produces benefits (e.g., on-time product/service delivery)

The Relation between Synthetic Price and Black-Scholes Models

Common Objective:

Both determine the “worth” of an investment as measured against various combinations of risk, uncertainty, interest rates, and competing investment opportunities

- ✓ Neither predict which Firms are most likely to succeed

Both Synthetic Price and Black-Scholes models:

- ▶ Are based on the Law of Large Numbers
- ▶ Converge, in the limit, to “true” market based valuations

Capital Asset Pricing

The Black-Scholes Model

Black-Scholes assumes that stocks have a true value that:

- ▶ Corresponds to its risk
- ▶ Determines whether the market price for a stock is too high or too low

⇒ A stock option's value equals the value of the information concerning that risk

Significance of Black-Scholes

- ▶ Stock Value dynamics are modeled as Brownian Motion process
- ▶ Captures market dynamics in terms of a few variables
- ▶ Provides a (real time) computationally efficient models that link price, interest, and discount rates
- ▶ Eschews unobservable/hard to measure parameters such as “Investor Psychology”
- ✓ Demonstrates that effective decision making need not depend on a detailed understanding of causality

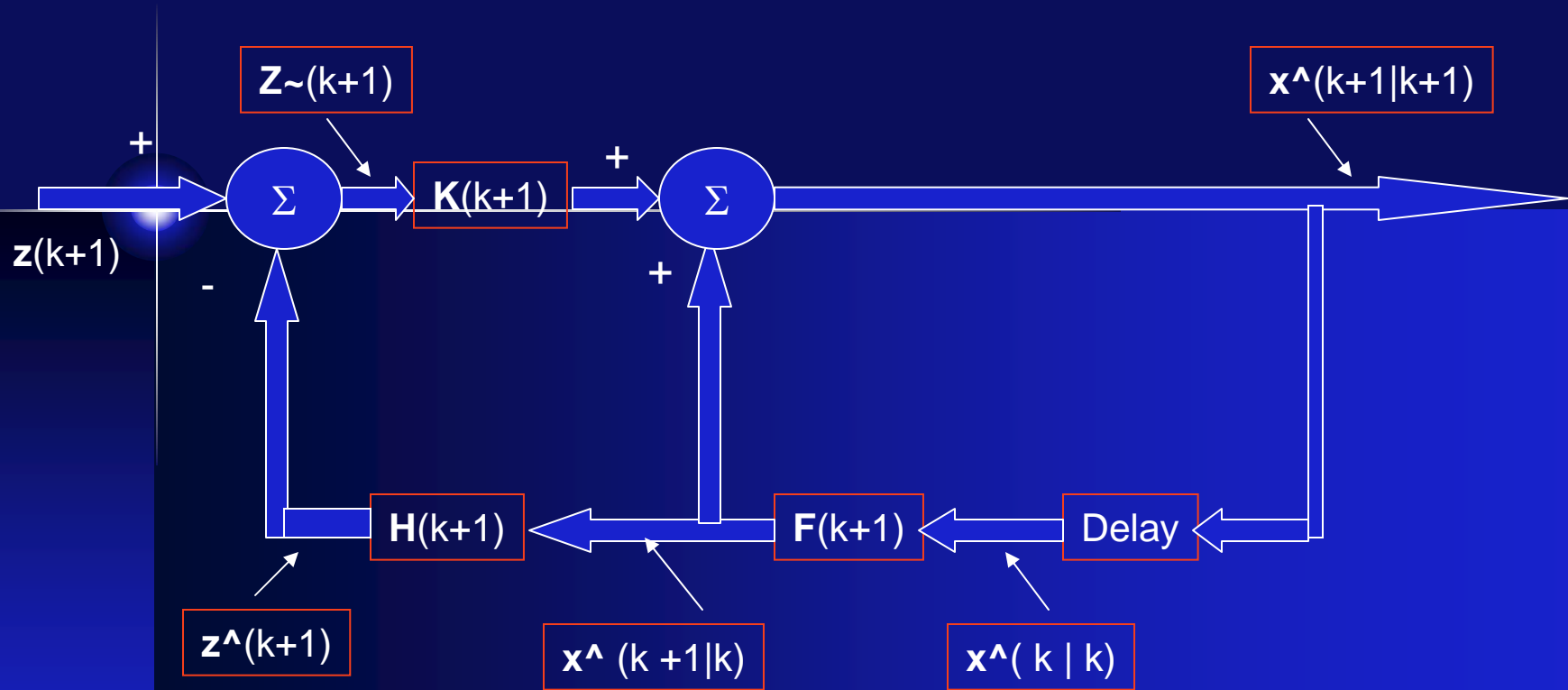
Synthetic Pricing - Measuring Information Gains

Apply Kalman Filter models to measure:

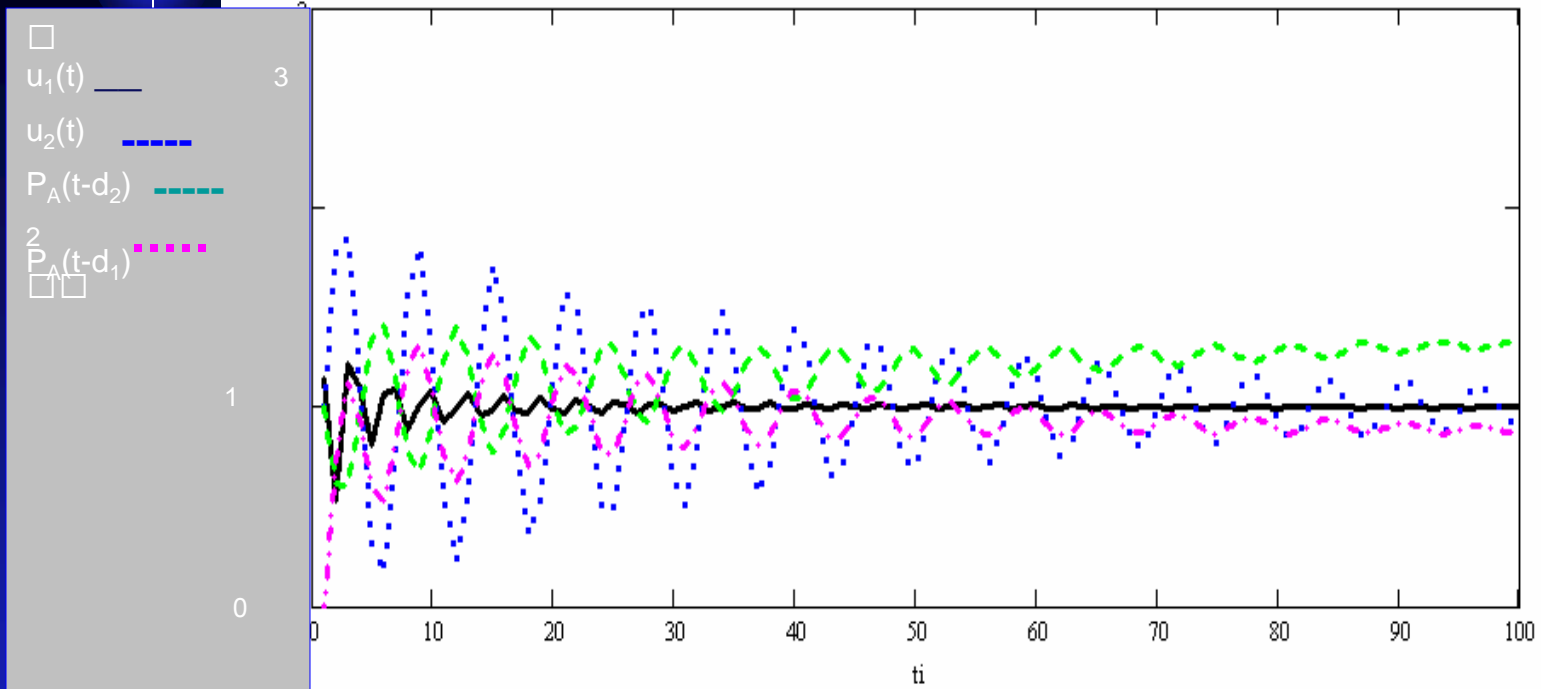
- ▶ How uncertainty propagates over time
- ▶ The information carrying capacity/efficiency of a Firm
- ✓ And thus its value

Synthetic prices are measurable as a “gain” in a Kalman Filter

Kalman Filter Schematic



Output from Kalman Filter Model



Legend

$u_1(t)$ - input forcing function -special variability cause

$u_2(t)$ - input - common variability cause

Are damped out by steady process improvement

$P_A(t-d_2)$ - Error propagation (variability) driven by “long” delay

$P_A(t-d_1)$ - Impact of “short” delay on system ability to minimize error propagation for ($d_1 < d_2$)

Next Steps

- ▶ Validate that Perturbation based measures converge, in the limit, to the market based valuations
- ▶ Get data for several hundred public & private sector Firms;
 - ✓ Normalize the data across the Public and Private sector
- ▶ Quantitatively estimate efficiency and information gain parameters
- ▶ Validate models against the predictions they make

Backup Slides

Computation Notes

- \mathbf{x} : a vector of variables comprising the system, whose state is to be estimated over the successive time (e.g., multi-stage investment) periods $k = 0, 1, 2, \dots$
- $\hat{\mathbf{x}}(k+1|k)$: The predicted estimate of \mathbf{x} for time “k+1” based on measures taken at time “k”
- \mathbf{z} : the actual, uncorrected measurement of \mathbf{x}
- $\tilde{\mathbf{z}}$: The estimate of \mathbf{x} when corrected errors introduced by the measurement process
- $\hat{\mathbf{z}}$: The estimate of $\hat{\mathbf{x}}$ as filtered by \mathbf{H}
- \mathbf{H} : The measurement transformation matrix that relates the system state vector, \mathbf{x} , to its measure, \mathbf{z}

Project Success Data

Company Size	Success Rate '94	Success Rate '98	Project Cost '94	True Cost '98	Delta
Large	9%	24%	\$2.3M	\$1.2M	-65%
Medium	16%	28%	\$1.3M	\$1.2M	-41%
Small	28%	32%	\$.4M	\$1.1M	-4%

Turning Chaos into Success Jim Johnson www.SoftwareMag.com, 12/99

Ito's Lemma

- Use to analyze processes without time derivatives, including output prices, input costs, etc... that cannot be manipulated using the ordinary rules of calculus
- The fundamental Theorem of Stochastic Calculus-use to analyze infrequent, discrete jumps
- Kolmogorov equation describe the dynamics of the pdf for a stochastic process

Problem Dimensionality

- Model Time frames: short/long term
- Sources of variability: common/special
- Levels of analysis: Micro/macro
- Uncertainty and Risk
- Forcing functions: stochastic
- Response functions: profit driven/"inspection" driven
- System Stability range...
- Transient/Steady state response

Cost Estimate Uncertainty Reduction as a Function of Project Life Cycle & Process Maturity Level

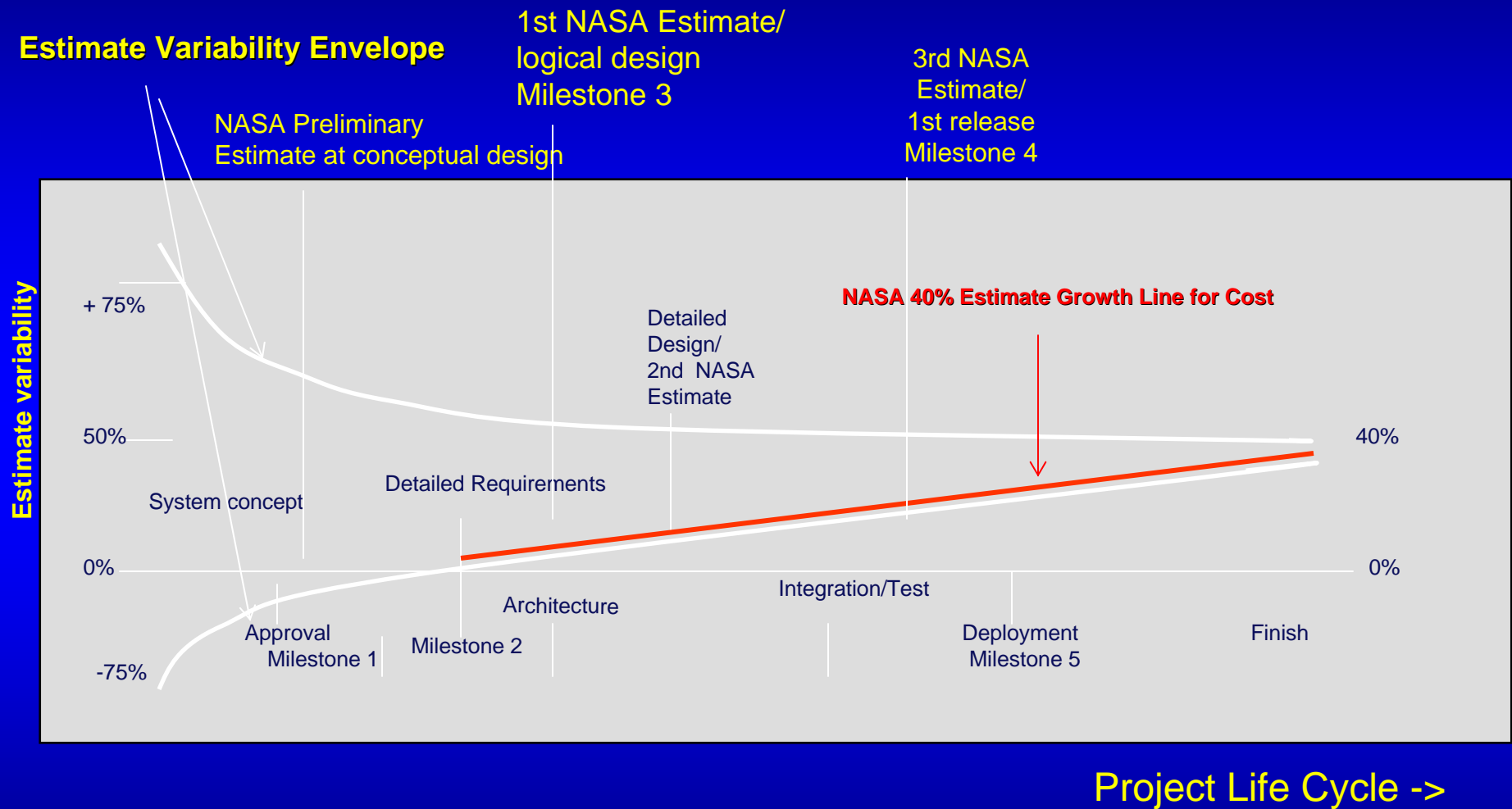


Figure 3: CMM Level 3 Projects at NASA - Software Engineering Laboratory (SEL)
(<http://www.nasa.gov>)